

Huffman Text Compression Technique

Suherman¹, Andysah Putera Utama Siahaan²

Faculty of Computer Science

Universitas Pembangunan Panca Budi

Jl. Jend. Gatot Subroto Km. 4,5 Sei Sikambing, 20122, Medan, Sumatera Utara, Indonesia

Abstract— Huffman is one of the compression algorithms. It is the most famous algorithm to compress text. There are four phases in the Huffman algorithm to compress text. The first is to group the characters. The second is to build the Huffman tree. The third is the encoding, and the last one is the construction of coded bits. The Huffman algorithm principle is the character that often appears on encoding with a series of short bits and characters that rarely appeared in bit-encoding with a longer series. Huffman compression technique can provide savings of 30% from the original bits. It works based on the frequency of characters. The more the similar character reached, the higher the compression rate gained.

Keywords— Huffman, Compression, Algorithm, Security

I. INTRODUCTION

A text is a collection of characters or strings into a single unit. It contains many characters in it that always cause problems in limited storage device and speed of data transmission at the particular time. Although storage can be replaced by another larger one, this is not a good solution if there is another solution. And this is making everyone try to think to find a way that can be used to compress text.

Compression is the process of changing the original data into code form to save storage and time requirements for data transmission. A lossless compression algorithm should emphasize the originality of the data during compression and decompression process [5]. By using the Huffman algorithm, text compression process is done by using the principle of the encoding; each character is encoded with a series of several bits to produce a more optimal result. The purpose of writing this paper is to investigate the effectiveness and the shortest way of the Huffman algorithm in the compression of text and explain the ways of compressing text using Huffman algorithm in programming.

II. THEORIES

Data Compression is the process of shrinking data to smaller bits than the original representation so that it takes less storage space and less transmission time while communicating over a network [2]. Huffman

algorithm was created by an MIT student named David Huffman in 1952. It is one of the oldest methods and most famous in text compression [5]. The Huffman code uses the principles similar to Morse code. Each character is encoded only with a few bits series, where characters that often appear with a coded series of short bits and characters that rarely appears is encoded with a longer set of bits. Based on the type of map, the code is used to change the initial message (the contents of the input data) into a set of codeword's. Huffman algorithm uses static methods. A static method is a method that always uses the same code map but the sequence of character appearance can be changed. This method requires two step. The first step to calculate the frequency of occurrence of each symbol and determine the map code, and the last is to convert the message into a collection of code that will be transmitted. Meanwhile, based on symbols coding technique, Huffman uses the symbol wise method. Symbol wise is a method that calculates the frequency of the characters in every process. Transforming text characters into symbolwise is not an easy process [3]. The symbol is more often occur will be given shorter code than the symbols that rarely appears.

A. Greedy Algorithm

Greedy Algorithm solves a problem by selecting the best distance at the particular time. Huffman problems can be solved using a greedy algorithm as well [4]. A greedy algorithm is an algorithm which follows the problem-solving metaheuristic of making the optimum choice. By calculating each step, the optimal solution is resolved. For example, applying the greedy strategy to the TSP to visit the nearest unvisited place. Greedy algorithm never finds the global solution. This algorithm is good at finding the nearest solution. Two of the examples of greedy algorithms are Kruskal's and Prim's algorithm.

B. The Relationship to Huffman Algorithm.

David Huffman encoded character by simply using an ordinary binary tree, but after that, David Huffman found that using a greedy algorithm can establish the optimal prefix code. The use of greedy algorithm on Huffman is at the election of two trees with the lowest frequency in a Huffman tree. A greedy algorithm is used to minimize the total cost. Cost is used to merge

two trees at the root of frequency equal to the number two fruit trees that are combined. Therefore the total cost of the establishment of the Huffman tree is the total of the whole merger. Therefore, the Huffman algorithm is one example of compression algorithm that uses the greedy algorithm. Our goal is to calculate the total cost incurred to establish the text.

III. IMPLEMENTATION

This section tries to figure out the Huffman technique. There are four steps must be accomplished to make the Huffman technique is fully operated. These phases below explain the steps of its algorithm.

A. Phase One.

Assume the sentence is “LIKA-LIKU LAKI-LAKI TAK LAKU-LAKU”. The text above is 33 length. It must be categorized base on the character frequency. The *Character_Set* function is to determine how many times each character appears.

```
function Character_Set(text : string) :
string;
var
temp : string;
result : string;

begin
temp := text;
result := '';

for i := 1 to length(temp) do
for j := i + 1 to length(temp) do
if temp[i] = temp[j] then temp[j] :=
'#';

j := 1;

for i := 1 to length(temp) do
if temp[i] <> '#' then
begin
result := concat(result, temp[i]);
inc(j);
end;

Character_Set := result;
end;
```

The first loop which is done by “for” is to replace the duplicate character into ‘#’. The second loop removes the original text that consists of ‘#’. The illustration is showed below.

Original Text : LIKA-LIKU LAKI-LAKI TAK
LAKU-LAKU
Replaced Text : LIKA-###U
#####T#####
Character Set : LIKA-U T

```
procedure Character_Freq(text : string);
var
temp : string;
freq : byte;

begin
temp := Character_Set(text);
```

```
for i := 1 to length(temp) do
begin
freq := 0;
for j := 1 to length(text) do
if temp[i] = text[j] then inc(freq);
AddNode(Head, Tail, temp[i], freq);
end;
end;
```

The above procedure calculates the frequency of the character occurrence. First, the character set function must be run to obtain a series of a single character used; then the first character until the last character must be compared to the original text to get the frequency. The result will be sent to the node after getting incremented. Figure 1 illustrates the characters and their frequency obtain from Phase One.



Fig. 1 Unsorted character and frequency

The table must be sorted in ascending order and the primary key is the frequency.

```
procedure Tree_Sorting;
var
tASCII : char;
tFreq : byte;

begin
for i := length(cs) - 1 downto 1 do
begin
Current := Head;

for j := 1 to i do
begin
if Current^.Freq > Current^.Next^.Freq
then
begin
tASCII := Current^.ASCII;
tFreq := Current^.Freq;
Current^.ASCII := Current^.Next^.ASCII;
Current^.Freq := Current^.Next^.Freq;
Current^.Next^.ASCII := tASCII;
Current^.Next^.Freq := tFreq;
end;
Current := Current^.Next;
end;
end;
```

The procedure above is to sort the unsorted list by using bubble sort algorithm. The first node will be compared to the next node, and the larger value will be swapped and moved to the right. Figure 2

complete diagram of the Huffman tree.



Fig.4Huffman Tree

The aim using two models of linked list is to avoid the searching procedures. The search can be either breadth-first or depth-first search to form the bit code, but it takes time and advanced programming technique. However, a list can be used to replace the backtracking procedure. The procedure track what the parent is.

```

procedure Huffman_Tree;
var
  tFreq : byte;
  tASCII : char;
  InsertN : NodeP;
  NewNode : NodeP;

begin
  tASCII := '*';
  Current := Head;

  while Current^.Next <> NIL do
  begin
    InsertN := Head;
    tFreq := Current^.Freq +
    Current^.Next^.Freq;
    Current^.Bit := 0;
    Current^.Next^.Bit := 1;

    while InsertN <> NIL do
    begin
      if tFreq <= InsertN^.Freq then
      begin
        new(NewNode);
        NewNode^.Freq := tFreq;
        NewNode^.ASCII := tASCII;
        NewNode^.Next := InsertN;
        NewNode^.Prev := InsertN^.Prev;
        InsertN^.Prev^.Next := NewNode;
        InsertN^.Prev := NewNode;

        NewNode^.Left := Current;
        NewNode^.Right := Current^.Next;
        Current^.Parent := NewNode;
        Current^.Next^.Parent := NewNode;
        break;
      end
      else if tFreq > Tail^.Freq then
      begin
        new(NewNode);
        NewNode^.Freq := tFreq;
        NewNode^.ASCII := tASCII;
        Tail^.Next := NewNode;
        NewNode^.Prev := Tail;
      end
    end
  end
end

```

```

Tail:=NewNode;
Tail^.Next := NIL;

NewNode^.Left := Current;
NewNode^.Right := Current^.Next;
Current^.Parent := NewNode;
Current^.Next^.Parent := NewNode;
break;
end;
InsertN := InsertN^.Next;

end;

Current := Current^.Next;
Current := Current^.Next;
end;
end;

```

Huffman Tree procedure is used to form the Huffman tree by processing the earlier linear tree. The nodes must be marked “what is on the left” and “what is on the right”. It is done by adding a sign 0 or 1 to the node field.

```

type
  NodeP = ^Node;
  Node = record
    ASCII : char;
    Bit : byte;
    Code : string;
    Dec : byte;
    freq : byte;
    Prev,
    Next : NodeP;
    Parent,
    Left,
    Right : NodeP;
  end;

```

- ASCII : where character is memorized.
- Bit : node sign. (left or right)
- Code : Huffman code.
- Dec : decimal code.
- Freq : occurrence of the character.
- Next, Prev, Parent, Left, Right : represent the connected nodes.

The first two nodes must be combined. The first node will be marked as ‘0’ since it is on the left and the second node will be marked as ‘1’ since it is on the right. Moreover, both nodes have the same parent, and the parent has two children, the nodes. After the parent node is created, it must be inserted into the linked list by combining the value of the node and the value of the linked list. The node must be added to the left of the larger or same value. However, if the parent node is greater than every node, it has to be inserted after the last node.

C. Phase Three.

In this step, the tree is already structured. It is time to retrieve the node sign by making a loop until the

parent of the last node is empty (null).

```

procedure Write_Huffman;
var
  result : string;
  bit : string[1];

begin
  Current := Head;

  repeat
    result := '';
    Cursor := Current;
    Current^.Dec := 0;
    Biner := 1;

    if Cursor^.ASCII <> '*' then
    begin
      repeat
        if (Cursor^.Bit = 0) or
        (Cursor^.Bit = 1) then

          begin
            Current^.Dec := Current^.Dec +
            (Cursor^.Bit * Biner);
            Biner := Biner * 2;
            str(Cursor^.Bit, Bit);
            insert(Bit, result, 1);
          end;
          Cursor := Cursor^.Parent;
        until Cursor^.Parent = NIL;
      end;

      Current^.Code := result;
      Current := Current^.Next;
    until Current^.Next = NIL;
  end;
  
```

The nodes which are not parents are retrieved. Moreover, the node sign from the node will be inserted into a single string.

D. Phase Four.

Each node has consisted of code. This phase, everything that has been coded is converted to a Huffman table. Table 1 shows the priority of characters. The character “K” has the most appearance while the character “T” has the less one. Characters with the highest emergence is having the shortest binary code.

TABLE 1 HUFFMAN TABLE

Char	Freq.	Code	Bit Len.	Code Len.
T	1	1000	4	4
-	3	1001	4	12
U	3	1100	4	12
	3	1101	4	12
I	4	101	3	12
L	6	111	3	18
A	6	00	2	12
K	7	01	2	14
				96

Each code represents the character. It consists of a few digit of the binary string. The previous text will be transformed into the new binary set. The old eight-bit binary is replaced by the new one. Let’s see the example below:

```

Original Text : LIKA-LIKU LAKI-LAKI TAK
LAKU-LAKU
Original Code :
111 101 01 00 1001 111 101 01 1100 1101
111 00 01 101 1001 111 00 01 101 1101 1000
00 01 1101 111 00 01 1100 1001 111 00 01
1100

Bit Code :
111110101 001001111110101110011011110001101
100111100011011101100000 0111011110001110
01001111 00011100

Decimal Code :
254, 39, 215, 55, 141, 158,
55, 96, 119, 142, 79, 28
  
```

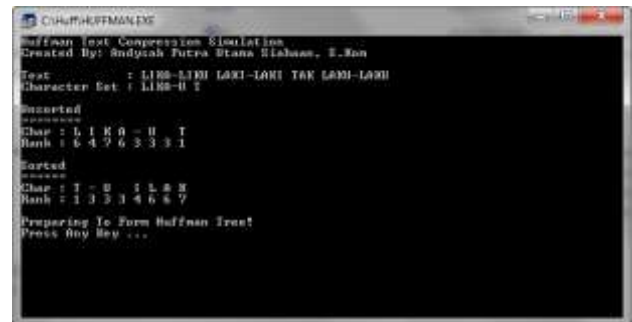


Fig. 5 Running Program (Part. 1)

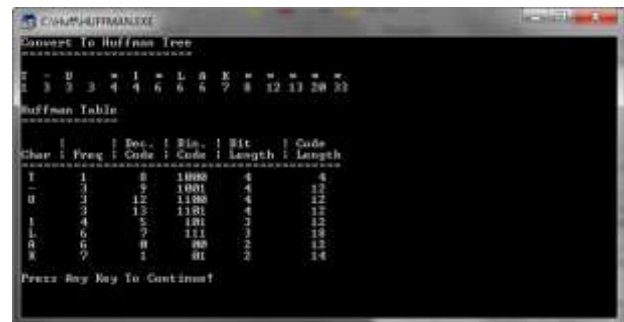


Fig. 6 Running Program (Part. 2)

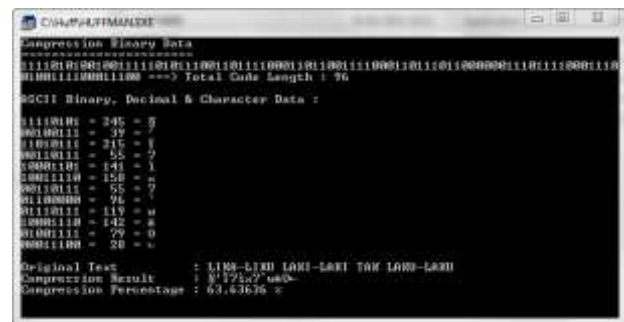


Fig. 7 Running Program (Part. 3)

Figure 5 to Figure 7 are the Huffman running processes. The original text before compression takes 33 characters length. Sooner after being compressed, the string only takes 12 characters. It saved 21 characters.

The illustration:

```
Original Text Length : 33
Coded Text Length   : 12
Saving Rate          : (33 - 12) / 33 *
100 %
                      63.63636 %
```

By doing this algorithm, the compression rate achieves 63% of the original message. Of course, it will save the storage capacity.

IV. CONCLUSION

This research should explain the basic technique on how to implement the compression algorithm. Huffman algorithm can combine with the greedy algorithm which always find the easiest ways from the nearest node. There are four phases in the Huffman algorithm to compress a text; the first is the phase to manage and get the frequency of the character. The second is the formation of the Huffman tree; the third is to form the code from the node sign. Moreover, the last phase is the encoding process. However, in this paper, the author only perform the encoding method, the decoding is under a project. Applying Huffman in compression will again more space in the storage. Huffman encoding is very powerful to the text message which has similar character occurrence.

REFERENCES

- [1] A. Malik, N. Goyat and V. Saroha, "Greedy Algorithm: Huffman Algorithm," International Journal of Advanced Research in Computer Science and Software Engineering, vol. 3, no. 7, pp. 296-303, 2013.
- [2] A. S. Sidhu and M. Garg, "Research Paper on Text Data Compression Algorithm using Hybrid Approach," IJCSMC, vol. 3, no. 12, pp. 1-10, 2014.
- [3] H. Al-Bahadili and S. M. Hussain, "A Bit-level Text Compression Scheme Based on the ACW Algorithm," International Journal of Automation and Computing, pp. 123-131, 2010.
- [4] I. Akman, H. Bayindir, S. Ozleme, Z. Akin and a. S. Misra, "Lossless Text Compression Technique Using Syllable Based Morphology," International Arab Journal of Information Technology, vol. 8, no. 1, pp. 66-74, 2011.
- [5] M. Schindler, "Practical Huffman coding," 1998. [Online]. Available: <http://www.compressconsult.com/huffman/>.